S3 Mathematics

Test 4: Quadrilaterals

Name:	Class:
Date:	Time: 45 minutes

Instructions to students:

- 1. Unless otherwise specified, show your workings clearly.
- 2. Unless otherwise specified, numerical answers should be exact or correct to 3 significant figures.

Marks:

Section		Marks		
A: Basic Algebraic Skills			/10	
B: Multiple Choice Questions			/16	
C(1): Short Questions		/14		
C(2): Long Questions			/10	/40
D: Bonus (Maximum: 3	marks)	+		
PP/U⊗		PP-	U-	
	Total:		/50	%

Section A: Basic Algebraic Skills (5 marks)

1. Make k the subject of the formula $\frac{2-7k}{h} = 7$.



2. Make b the subject of the formula $\frac{4}{a} - \frac{3}{b} = 1$.

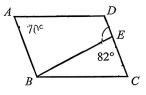
(3 marks)

- 3. Consider the formula 5(2p-q) = p + 9.
 - (a) Make q the subject of the above formula.
 - (b) If the value of p is decreased by 5, write down the change in the value of q.

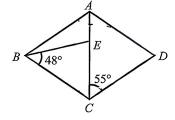
(4 marks)

Section B: Multiple Choice Questions (16 marks)

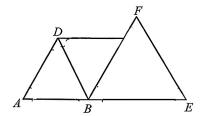
- 4. In the figure, ABCD is a parallelogram and CED is a straight line. $\angle BAD = 70^{\circ}$ and $\angle BEC = 82^{\circ}$. Find $\angle CBE$.
 - A. 38°
 - B. 28°
 - C. 20°
 - D. 12°



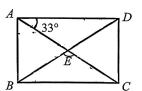
- 5. In the figure, ABCD is a rhombus. E is a point on AC. If $\angle ACD = 55^{\circ}$ and $\angle CBE = 48^{\circ}$, find $\angle ABE$.
 - A. 7°
 - B. 15°
 - Cl. 22°
 - D. 29°



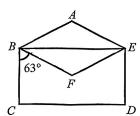
- 6. In the figure, ABCD is a rhombus. ABE and BCF are straight lines. If BE = EF and $\angle BEF = 64^{\circ}$, then $\angle BDC =$
 - A. 64°.
 - B. 61°.
 - C. 58°.
 - D. 52°.



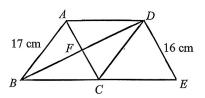
- 7. In the figure, ABCD is a rectangle. AC and BD intersect at E. If $\angle DAE = 33^{\circ}$, then $\angle CDE =$
 - A. 33°.
 - B. 45°.
 - C. 57°.
 - D. 66°.



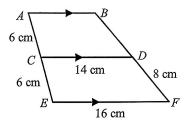
- 8. In the figure, ABFE is a rhombus and BCDE is a rectangle. If $\angle CBF = 63^{\circ}$, then $\angle BAE =$
 - A. 54°.
 - B. 108°.
 - C. 117°.
 - D. 126°.



- 9. In the figure, ABCD is a rhombus. BC is produced to E such that ACED is a parallelogram. AC and BD intersect at F. AB = 17 cm and DE = 16 cm. Find the length of BD.
 - A. 15 cm
 - B. 30 cm
 - C. 32 cm
 - D. 34 cm



- 10. In the figure, ACE and BDF are straight lines. $AB \parallel CD \parallel EF$. Find the perimeter of quadrilateral AEFB.
 - A. 51 cm
 - B. 52 cm
 - C. 56 cm
 - D. 60 cm



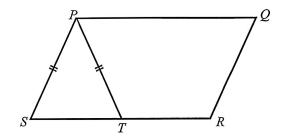
11. In the figure, PQRS is a parallelogram. T is a point on SR such that PS = PT. Which of the following must be true?

I.
$$PT = QR \sqrt{}$$

II.
$$\angle PTR + \angle PQR = 180^{\circ} \gamma$$

III.
$$ST = TR$$

- A. I and II only
- B. I and III only x
- C. II and III only ×
- D. I, II and III



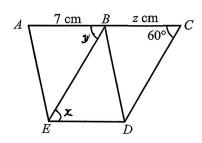
Write down the correct answers in the boxes.

4	5	6	7
	,		
8	9	10	1 1
		,	

Section C(1): Short Questions (14 marks)

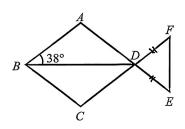
12. In the figure, ABDE and BCDE are parallelograms. Find the unknowns.

(4 marks)

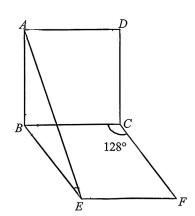


- 13. In the figure, ABCD is a rhombus. AD and CD are produced to E and F respectively. If DE = DF and $\angle ABD = 38^{\circ}$, find
 - (a) $\angle ADC$,
 - **(b)** ∠*DEF*.

(5 marks)



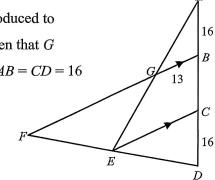
14. In the figure, ABCD is a square and BEFC is a rhombus. If $\angle BCF = 128^{\circ}$, find $\angle BAE$. (5 marks)



Section C(2): Long Questions (10 marks)

In this section, answer either part(X) or part (Y) in each question. Do not answer both parts. If both parts in a question in this section are attempted, only part (X) will be marked.

15X. In the figure, B and C are points lying on AD. DE is produced to F such that EC // FB. FB and AE intersect at G. It is given that G is the mid-point of AE and E is the mid-point of DF. If AB = CD = 16 and GB = 13.



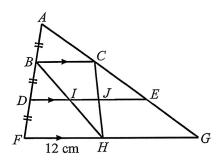
- (a) Find BC and CE.
- (b) Find FG.

15Y. In the figure, ABDF, ACEG, BIH, CJH, DIJE and FHG are straight lines, BC // DE // FG and FH = 12 cm. It is known that DI : IJ = 3 : 2.





(c) Find HG.



(10 marks)

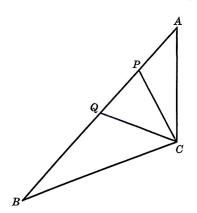
(5 marks)

Solution: Q15. (X/Y) (*Please circle the question that you attempt in Q.15)

Section D: *Bonus Questions (3 marks)

16. In the figure, P is a point lying on AB such that CB = 2CP. Q is the mid-point of AB, and CQ bisects $\angle PCB$. Prove that AP = PQ.

(3 marks)



/(+3)